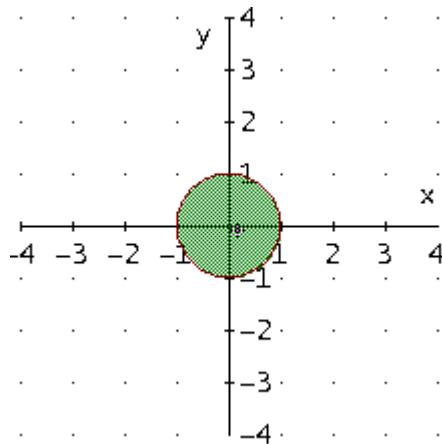


Síkidomok ábrázolása

1. Kör

#1: $\text{egyskor} := \left[x^2 + y^2 < 1, x^2 + y^2 = 1 \right]$

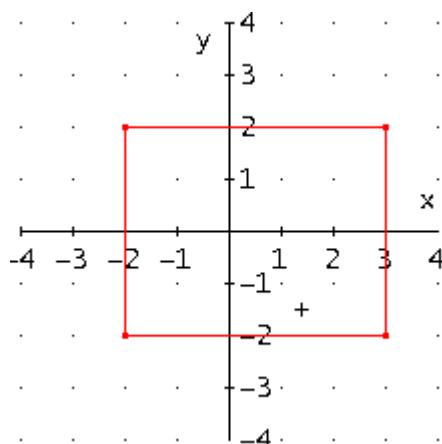


2. Téglalap

#2: $\text{RECTANGLE}([5, 3], [1, 5])$

#3: $\text{teglalap}(\text{szel}, \text{mag}, \text{x}, \text{y}) := \begin{bmatrix} \text{x} & \text{y} \\ \text{x} + \text{szel} & \text{y} \\ \text{x} + \text{szel} & \text{y} + \text{mag} \\ \text{x} & \text{y} + \text{mag} \\ \text{x} & \text{y} \end{bmatrix}$

#4: $\text{teglalap}(5, 4, -2, -2)$



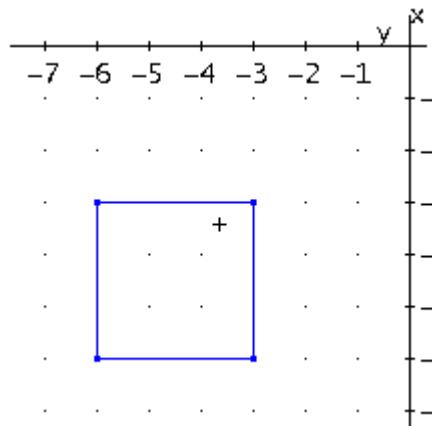
3. Négyzet

#5: $\text{RECTANGLE}([3, 3], [1, 0])$

[x y]

```
#6: negyzet(hossz, x, y) := [x + hossz, y
                                x + hossz, y + hossz
                                x, y + hossz
                                x, y]
```

```
#7: negyzet(3, -6, -6)
```

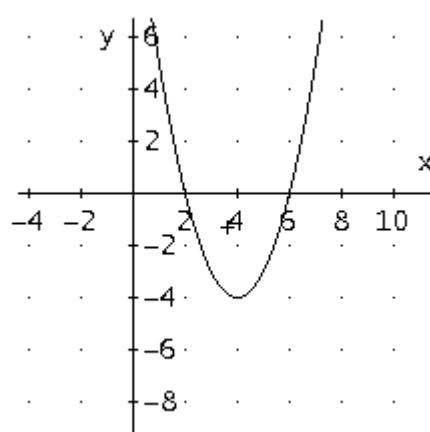


4. Parabola, hiperbola

```
#8: y = 3·x2 - 5·x - 4
```

```
#9: parabola(p, u, v) :=  $\frac{1}{2 \cdot p} \cdot (x - u)^2 + v$ 
```

```
#10: parabola( $\frac{1}{2}$ , 4, -4)
```

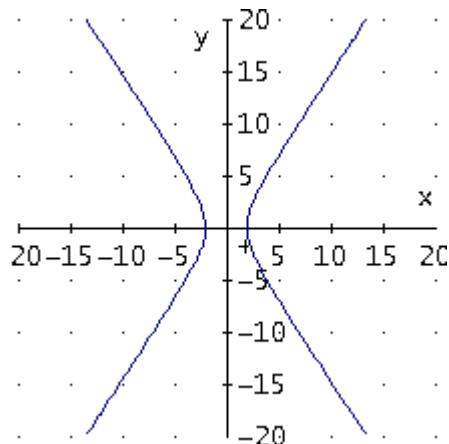


```
#11: —
```

x

$$\#12: \text{hiperbola}(a, b) := \frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$$

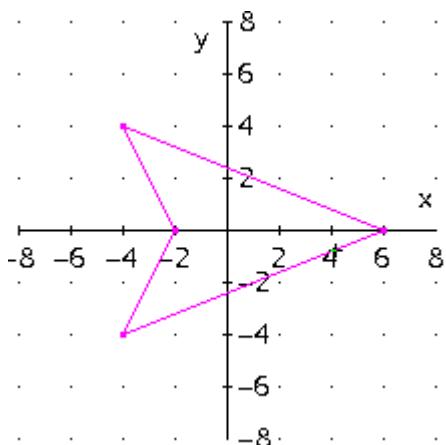
#13: hiperbola(2, 3)



5. Tetszőleges négyzet

$$\#14: \text{negyszog}(a, b, c, d, e, f, g, h) := \begin{bmatrix} a & b \\ c & d \\ e & f \\ g & h \\ a & b \end{bmatrix}$$

#15: negyszog(-4, -4, -2, 0, -4, 4, 6, 0)

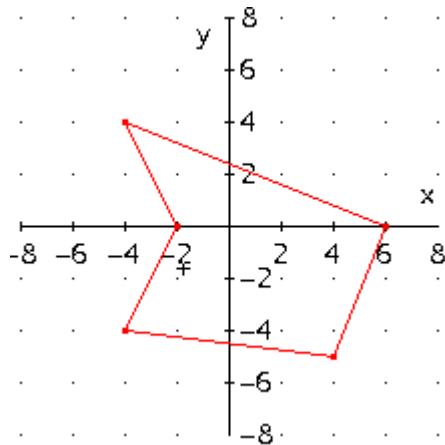


$$\begin{bmatrix} a & b \\ c & d \end{bmatrix}$$

```
#16: otszog(a, b, c, d, e, f, g, h, i, j) := 
$$\begin{bmatrix} e & f \\ g & h \\ i & j \\ a & b \end{bmatrix}$$

```

```
#17: otszog(-4, -4, -2, 0, -4, 4, 6, 0, 4, -5)
```



6. Tetszőleges szabályos sokszög

```
sokszog(n, a, b, c, d) :=
  Prog
     $\alpha := 360^\circ/n$ 
    m := [[a, b]]
    e := a
    f := b
    p := 1
    Loop
      If p = n + 1
        RETURN m
      k := a - c
      l := b - d
      x := k.COS( $\alpha$ ) + l.SIN( $\alpha$ )
      y := l.COS( $\alpha$ ) - k.SIN( $\alpha$ )
      a := x + c
      b := y + d
      m := APPEND(m, [[a, b]])
      p := p + 1
```

```
#18:
```

```
#19: sokszog(5, -9, 7, 1, 3)
```

